

High-Speed Beam Steering With Phased Vertical Cavity Laser Arrays

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(Invited Paper)

Abstract—We demonstrate electronic beam steering using phased vertical cavity laser arrays at record high speed ($1.4 \cdot 10^8$ deg/s) and sensitivity to current (1.2 deg/100 μ A). The relative phase and coherence between the array elements are extracted with a Fraunhofer propagation method. The spatially resolved spectrum and beam steering dynamics are also analyzed. The thermo-optic effect is found to dominate the phase-shifting mechanism at lower speed steering, while the electronic variation in index dominates at higher speeds (≥ 10 MHz).

Index Terms—Beam steering, phased arrays, semiconductor laser arrays, semiconductor lasers.

I. INTRODUCTION

OPTICAL phased array technology has been sought for several decades due to its promise of greater speed, accuracy, efficiency, and reliability than standard mechanical beam steering methods [1], [2]. The applications for this technology include fiber switching, free-space communications, and laser radar, and are as numerous and diverse as the approaches used, which can be generally classified into continuous and discrete methods. While optical phased arrays using liquid crystals are the most prominent for continuous steering [2], [3], alternative approaches include microelectromechanical systems [4], [5] electrowetting [6], surface gratings [7], waveguides [8]–[10], edge emitters [11], and vertical-cavity surface-emitting lasers (VCSELs) [12], [13].

Among the multiple figures of merit for optical beam steering, speed is still a limiting factor for applications such as laser radar. While mechanical methods clearly have inertial limitations, even the fastest methods using liquid crystals are limited to speeds under 10 kHz [14], [15]. Beam steering above the kilohertz regime has only been shown previously with grating and waveguide techniques, because rather than relying on mechanical or thermal changes, the index change with these methods can rely more directly on an electric field [8], [10] or current [16],

[17]. These methods, however, are often difficult to extend into two dimensions, require elaborate setups with feedback control [8], are not conducive to free-space propagation [10], [16], or suffer from low efficiency [7].

A distinctive characteristic of the phased VCSEL array is that it acts as both the source and the beam steering mechanism. In this sense, it is a closer analog to its phased array radar counterpart. While all other methods alter the wavefront of an incident beam, with VCSEL arrays, we can adjust the phase of pixelated elements at their source. The primary advantages of this approach include a very high electro-optical efficiency, a natural extension into two dimensions [13], and fabrication with standard lithographic processes onto a small section of a semiconductor wafer.

As VCSEL arrays offer a fundamentally different approach, our understanding of the physical beam steering mechanism within them remains incomplete. The objective of this study is to further understand the steering mechanism, which will aid in optimizing these devices for particular applications.

We first describe the coherent VCSEL arrays in Section II, and discuss our method to extract the relative phase and coherence of the array elements in Section III. In Section IV, we compare the spatially resolved spectrum of the array elements under varying current injections to examine the beam steering mechanism. Section V reports a dynamic analysis of the arrays in the 100 Hz, 100 kHz, and 100 MHz regimes. We conclude in Section VI and show our data are consistent with carrier-induced thermal and electronic index mechanisms.

II. PHASED VCSEL ARRAY

A cross-sectional sketch of a 2×1 VCSEL array with a scanning electron microscope image inset is shown in Fig. 1. The VCSEL wafer used for the arrays consists of a p-type top distributed Bragg reflector (DBR) mirror with 27 periods and an n-type bottom DBR mirror with 35 periods on an n-type GaAs substrate. The active region located between the mirrors consists of three GaAs quantum wells that emit nominally at 850 nm. The photonic crystal hole pattern is designed to optically confine the mode within the defects, which are aligned with ion-implanted gain apertures of same size, the latter of which confine current to the individual elements. The fabrication procedure has been described in previous work [18], [19]. In an additional step, the top metal contact is etched with a focused ion beam to create electrical isolation between the contacts and allow preferential current injection into either element.

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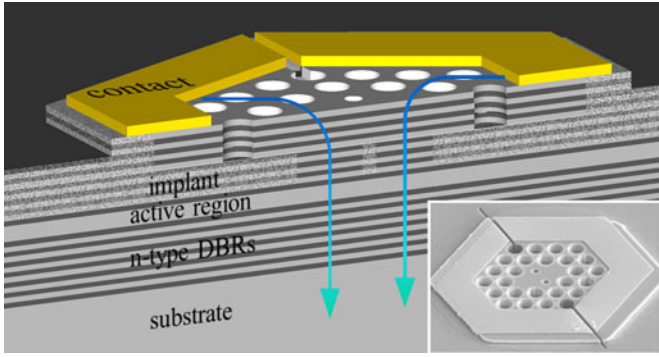


Fig. 1. 3-D sketch and scanning electron microscope image (inset) of a 2×1 VCSEL array.

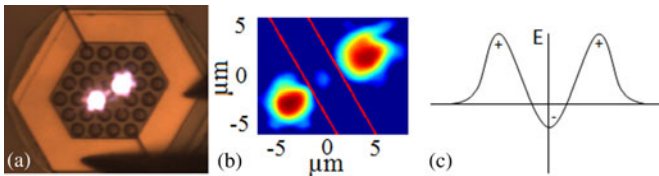


Fig. 2. (a) Near field and (b) processed image of a VCSEL array while lasing in the $[+ - +]$ supermode. (c) Sketch of the electric field profile, where the smaller intensity central lobe is π out of phase with the outer lobes.

III. PHASE AND COHERENCE

A. Method

We first extract the relative phase and coherence between the array elements [20]. The near-field image in Fig. 2 shows the array operating in the “in-phase” supermode, with current separately applied to each element [20]. We designate this as the $[+ - +]$ supermode since the electric field profile, as depicted in Fig. 2(c), has two zero crossings separating the three peaks [21]. After subtracting the background, the image is split into three different sections of the supermode, as delineated by the red lines shown in Fig. 2(b) [20].

The 2-D electric field amplitudes for each aperture are then obtained as the square root of the measured intensity, and are defined as $|U_{\text{left}}(\xi, \eta)|$, $|U_{\text{mid}}(\xi, \eta)|$, and $|U_{\text{right}}(\xi, \eta)|$, where ξ and η are the near-field coordinates. Approximating the fields in each of these apertures as self-coherent and monochromatic with flat wavefronts, the beam is then “propagated” to the far field using the Fraunhofer approximation [22]

$$U(x, y) = \frac{e^{jk_0 z}}{j\lambda_0 z} e^{j\frac{k_0}{2z}(x^2+y^2)} \iint_{-\infty}^{\infty} |U(\xi, \eta)| e^{j\frac{2\pi}{\lambda_0 z}(x\xi+y\eta)} d\xi d\eta \quad (1)$$

where x and y are the far-field coordinates, z is the propagation distance, and k_0 and λ correspond to the free-space wavelength. This approximation conveniently lends itself to a 2-D Fourier transform. The relative phase of the right aperture Φ_{right} and the magnitude of coherence between apertures $|\gamma|$ can then be

fit according to

$$I(x, y) = |U_{\text{left}}(x, y)|^2 + |U_{\text{mid}}(x, y)|^2 + |U_{\text{right}}(x, y)|^2 + 2|\gamma| \text{Re} \begin{bmatrix} U_{\text{left}}(x, y)^* U_{\text{right}}(x, y) e^{j\Phi_{\text{right}}} \\ + U_{\text{left}}(x, y)^* U_{\text{mid}}(x, y) e^{j\Phi_{\text{mid}}} \\ + U_{\text{mid}}(x, y) e^{-j\Phi_{\text{mid}}} U_{\text{right}}(x, y) e^{j\Phi_{\text{right}}} \end{bmatrix} \quad (2)$$

where the propagated far-field intensity is denoted as $I(x, y)$, the relative phase of the middle aperture as Φ_{mid} , and the far fields propagated from the left, middle, and right apertures as $U_{\text{left}}(x, y)$, $U_{\text{mid}}(x, y)$, and $U_{\text{right}}(x, y)$, respectively. Since adjacent near-field lobes in phased VCSEL arrays typically have a π phase difference [23], [24], as per the sketch in Fig. 2(c), Φ_{mid} is assumed to be π out of phase with the average phase of the two outer apertures.

The parameters Φ_{right} and γ can then be extracted by matching the far-field measurements obtained with a goniometric radiometer to the far field propagated from the near field using (1) and (2). The relative phase is first determined in an iterative process until the relative amplitudes of the left and right far-field lobes match those determined experimentally. This method is used in contrast to that of previous works where the angular shifts are matched [19], [25], because it is less subject to experimental error. Similarly, the coherence between elements is determined by matching the relative amplitude of the far-field nulls.

Near- and far-field measurements are taken over the range of coherent operation of each array for fixed current injection through the left contact, and varying current injection into the right contact. The experimental and propagated-fit far-field profiles are compared in Fig. 3, where the 2-D profiles shown above the plot depict the slices where the 1-D profiles are taken [20]. It is noteworthy that the near-field central lobe contained in $|U_{\text{mid}}(\xi, \eta)|$, in spite of its low intensity, has significant influence on the relative intensity of the far-field lobes. For this reason, the experimentally determined near field, as opposed to the typical Gaussian approximations used, leads us to a more accurate far-field simulation, and therefore more accurate phase retrieval.

B. Phase

It can be seen in Fig. 3 that as the current to the right element is increased, the far field is pulled to the right over a beam steering range of 2° . This is caused by a linearly increasing relative phase lag in the right element, as plotted in Fig. 4 [20]. The maximum beam steering range is determined by the spacing between elements, which also determines the dominant supermode [18]. Note also from this figure that the observed phase range of coherent operation extends about 0.5π in either direction of the preferred phase relation between the elements (in-phase). Beyond this phase range, the array approaches the $[+ -]$, or “out-of-phase,” supermode, which leads to a dramatic decrease in coherence [26].

While ≈ 20 mA current difference has been reported to obtain a π phase shift in slab-coupled lasers [27], we demonstrate

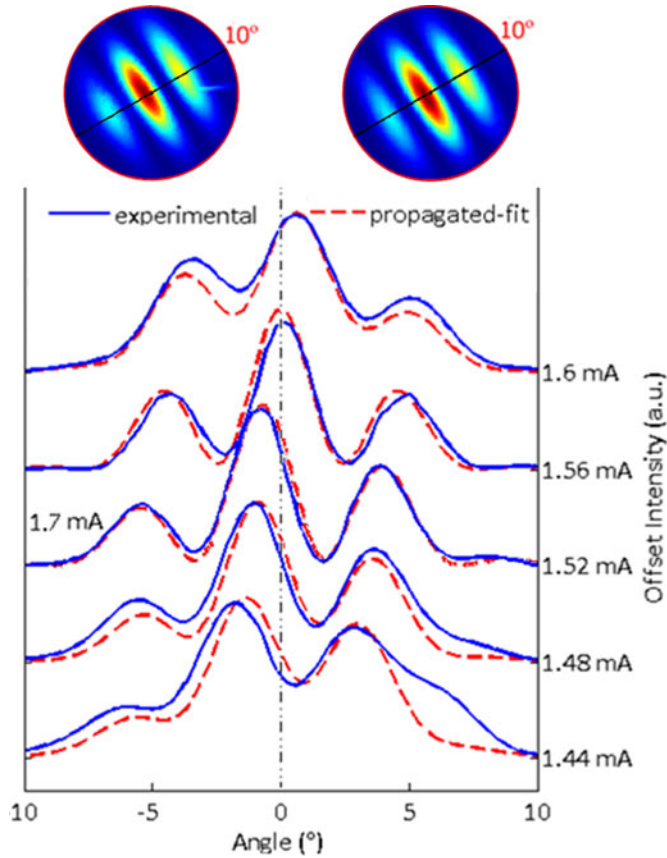


Fig. 3. Typical 2-D profiles of the measured and propagated-fit far fields and 1-D far-field profiles under fixed (varying) current to the left (right) contact.

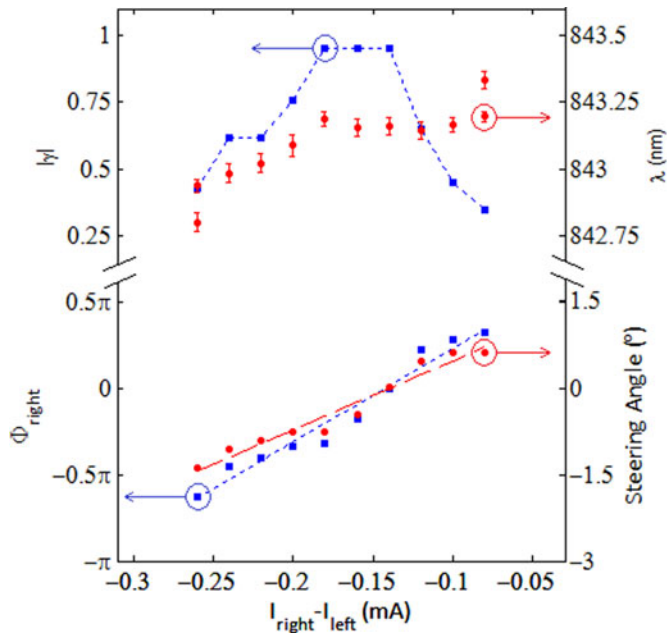


Fig. 4. Relative phase, coherence, wavelength, and steering angle versus current difference between left and right elements.

this same phase shift over a differential current spread of only $170 \mu\text{A}$. The fit lines in Fig. 4 correspond to record-high phase and steering rates of 0.54π and 1.2° per $100 \mu\text{A}$, respectively.

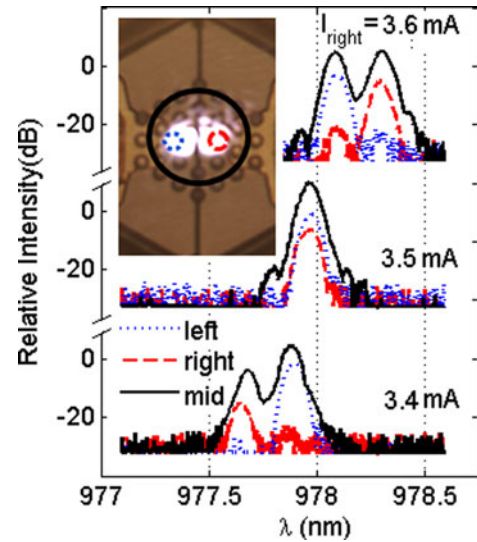


Fig. 5. Spatially resolved spectra obtained from a magnified image onto $9 \mu\text{m}$ (left and right) and $65 \mu\text{m}$ (middle) diameter core fiber. Current to the left element was held at 3.6 mA , while current to the right element was varied. Inset shows the approximate locations and diameters contributing to the spectra shown.

This sensitivity relies on strong current confinement between the array elements, which is dependent in our arrays on both the ion implantation and the depth of the channel cut between the contacts with a focused ion beam.

C. Coherence

The coherence magnitude and emission wavelength are also plotted against the current difference in Fig. 4 [20]. While the array elements are highly coherent around their preferred operation with no phase difference, they lose coherence as they are pulled away from it. This loss of coherence is also associated with the onset of a competing mode, as shown by the dual emission peaks found at either end of the current difference in Fig. 4. This corroborates previous results showing a reduction in coherence when operated away from the preferred in-phase or out-of-phase condition [26], and upon the onset of another spectral mode [28].

IV. ARRAY SPECTRUM

In order to elucidate the beam steering mechanism and to characterize the array modes, we examine the spatially resolved spectrum of each element in a VCSEL array operating near 980 nm . This array operates in conditions similar to that of the 850-nm array shown in Figs. 3 and 4, where spectral splitting is observed with increased current difference and identical beam steering behavior is observed. Hence, these results are independent of the emission wavelength.

Fibers with 9- and $62.5\text{-}\mu\text{m}$ diameter cores are placed at a magnified image plane of the near field to capture the spatially resolved spectra. The $65\text{-}\mu\text{m}$ core fiber was used to capture the spectra encompassing both elements, while the $9\text{-}\mu\text{m}$ core fiber was used to capture the spectra of the left and right elements. The inset in Fig. 5 shows the approximate positions of the fiber

in the near field where the spectra were obtained from. Fig. 5 also shows the spectra obtained with fixed current to the left element (3.6 mA) and varying current to the right element at the different locations/diameters shown by the inset. The array operates coherently with 3.5 mA to the right element, but is pulled out of coherence and into two spectral modes at 3.4 and 3.6 mA (similar to the largest and smallest current difference in Fig. 4). Between these extremes, there is a current range of 0.12 mA with high coherence and SMSR >30 dB. In this current range in Fig. 5, we see similar coherent behavior as that shown in Fig. 4.

It is observed that at higher current to the right element, while the overall spectra are red-shifted, the right element is lasing at a predominantly longer wavelength than the left element. Similarly, with lower current to the right element, the spectra are blue-shifted, while the right element is lasing at a predominantly shorter wavelength than the left element. The spectral data thus reveal that as the current to a given element is increased with respect to the other, its respective resonant wavelength also increases. This is consistent with the thermo-optic effect for GaAs and AlAs, where $\partial n/\partial T \approx 4 \cdot 10^{-4}$ and $1 \cdot 10^{-4} \text{ K}^{-1}$, respectively [29], [30].

The coherence and spectral data from Figs. 4 and 5 thus suggest that as the resonant wavelength difference between the elements increases with increasing current difference, the elements are eventually decoupled and the coherence is lost. The phase extraction of Fig. 3 informs us that when current injection to an element is increased under continuous wave operation, the part of the supermode emanating from that element incurs a relative phase lag.

V. BEAM STEERING DYNAMICS

A. 100 Hz

We first characterize beam steering at low modulation speeds with an array similar to that shown in Fig. 2, which emits at 850 nm. The current to the left array element is held constant, while the current to the right element is modulated in a square wave with a pattern generator between 3.06 and 3.13 mA at 100 Hz. A photoreceiver located 6 cm from the VCSEL array and subtending a 0.8° angular width is then translated across the far field as indicated in Fig. 6 [31].

A temporal plot of injected current is also shown in Fig. 6 along with the detected signal at the angular locations of 0° and 3° . With the detector placed at 0° , the optical signal is found to rise and fall with the current to the right element. At 3° , however, the detected signal varies oppositely with the injected signal. At each of these measurement angles, the photocurrent value is averaged over the times of the low and high input signals, which gives us two points in the far field. The detector is then translated to detect these values at angular increments, and the far-field profiles corresponding to the low and high current values, shown in Fig. 6, are obtained.

The dynamic far-field data show that at higher currents, the far-field profile is shifted to the right over a range of $\approx 0.8^\circ$, which is consistent with the dc measurements obtained from the goniometric radiometer, shown by the dotted lines in Fig. 6. Us-

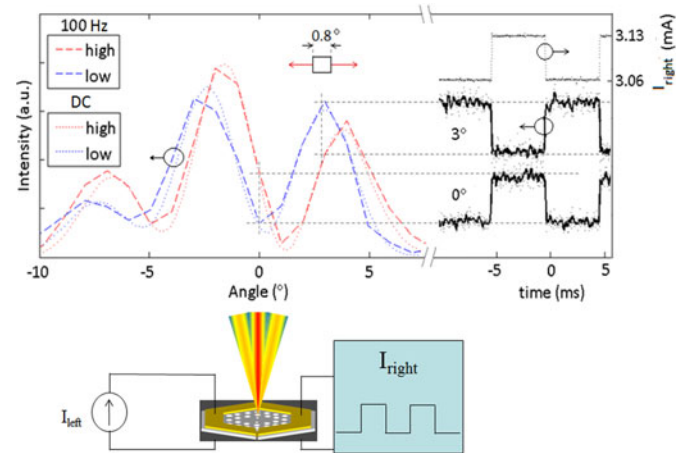


Fig. 6. (a) Far-field profiles obtained from translating photoreceiver at 100 Hz (dashed) and from goniometric radiometer with dc current (dotted). The far-field data points at high and low currents to the right element are obtained from the time-domain photocurrent signals, shown at angular locations of 0° and 3° .

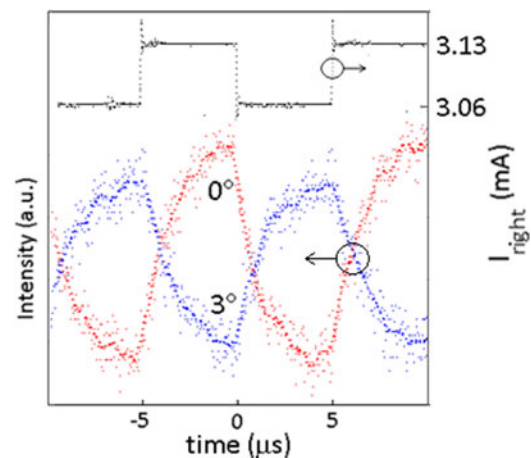


Fig. 7. Photocurrent obtained at the angular positions of 0° and 3° , while the right element current is modulated at 100 kHz.

ing the phase extraction technique described in Section III [20], we find that a current change of only $70 \mu\text{A}$ into the right element gives a phase shift of 0.3π , corresponding to approximate phase and steering rates of 0.4π and 1.1° per $100 \mu\text{A}$, respectively.

B. 100 kHz

Next, the modulation rate is increased to 100 kHz. At this speed, we find that the far-field profile continues to shift to the right with higher current to the right element, consistent with measurements at 100 Hz and dc. However, as seen by the temporal dependence of the spatially resolved signals in Fig. 7, a rise/fall time on the order of $5 \mu\text{s}$ is evident [31]. Similar delays between 1 and $20 \mu\text{s}$ for steering and the onset of lasing are observed in GaAs VCSELs dependent on thermal lensing [32]–[34]. The observed rise/fall time in Fig. 7 is therefore consistent with a thermally dominated beam steering mechanism. The increase of current to the right element is accompanied by an increase to the relative temperature on that side of the array, which increases the relative index on that side

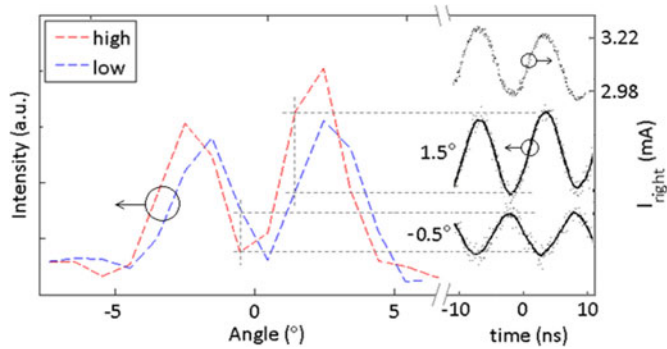


Fig. 8. Far-field profiles at 100 MHz obtained from translating photoreceiver. Profiles extracted from time-domain photocurrent at the angular locations of -0.5° and 1.5° .

in accordance with the thermo-optic effect. The beam steering arising from the thermo-optic effect is thus limited to the kilohertz regime.

C. 100 MHz

However, if we increase the modulation rate beyond the temporal limits of the temperature response, we see an entirely different beam steering phenomena. Using the same setup as that in Fig. 6, but with a modulation speed of 100 MHz, we obtain the far-field profiles shown in Fig. 8 [31]. The steering shown corresponds to a record high angular speed of $1.4 \cdot 10^8$ °/s over a beam steering range of $\approx 0.7^\circ$. The difference at this modulation rate, however, is that we find the beam is steered to the *left* with increased current to the right element. The relative phase lag in the right element is estimated as -0.2π for a current increase into the right element of $240 \mu\text{A}$ [20], which corresponds to approximate phase and steering rates of -0.08π and -0.4° per $100 \mu\text{A}$. The reduced phase and steering rates in the opposite direction are consistent with an electronic index change, where the index is suppressed with increasing current as $\partial n/\partial N \approx -10^{-21} \text{ cm}^3$ [35].

VI. CONCLUSION

While the thermo-optic effect is found to dominate at dc and slower modulation rates, when we modulate at faster rates (≥ 10 MHz), the thermal dynamics are effectively neutralized since the temperature cannot respond as quickly as the current. The weaker and opposite effect of the electronic index change, where the index decreases with increasing current, is then found as the dominant phase-shifting mechanism.

We have extracted the relative phase and coherence of phased vertical cavity laser arrays with a unique method using the experimentally determined near and far fields. We have also examined the spatially resolved spectra and the beam steering dynamics, both of which are consistent with the thermo-optic effect dominating the phase-shifting mechanism at lower speeds. Dynamic testing at speeds greater than 10 MHz revealed that the electronic index change dominates in this regime. A record, equipment-limited steering speed and sensitivity to current for free-space beam steering have also been demonstrated with our phased VCSEL array. Simulations have shown such arrays to be capa-

ble of switching speeds over 40 GHz, well above the typical modulation limit of VCSELs imposed by the relaxation oscillation frequency [36]. Future effort will be needed to increase the steering angle range, decrease the central lobe divergence, and to further elucidate the phase-shifting mechanism.

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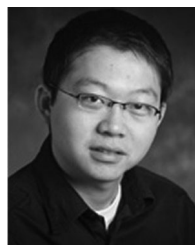
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